# CMP784 

## DEEP LEARNING

Lecture \#05x: ©onvolutional Neurgl Netwo hs (CNNS)



## Previously on CMP784

- data preprocessing and normalization
- weight initializations
- ways to improve generalization
- babysitting the learning process
- hyperparameter selection
- optimization



## Lecture Overview

- convolution layer
- design guidelines for CNNs
- CNN architectures
- transfer learning
- semantic segmentation networks
- object detection networks

Disclaimer: Much of the material and slides for this lecture were borrowed from

- Andrea Vedaldi's tutorial on Convolutional Networks for Computer Vision Applications
- Kaiming He's ICML 2016 tutorial on Deep Residual Networks: Deep Learning Gets Way Deeper
- Ross Girshick's talk on The Past, Present, and Future of Object Detection
- Fei-Fei Li, Andrej Karpathy and Justin Johnson's CS231n class
- Justin Johnson's EECS 498/598 class


## Perceptron

## [Rosenblatt 57]

- The goal is estimating the posterior probability of the binary label $y$ of a vector $\mathbf{x}$ :



## Discovery of oriented cells in the visual cortex

## [Hubel and Wiesel 59]


oriented filter



## Convolution

- Convolution $=$ Spatial filtering

$$
(a \star b)[i, j]=\sum_{i^{\prime}, j^{\prime}} a\left[i^{\prime}, j^{\prime}\right] b\left[i-i^{\prime}, j-j^{\prime}\right]
$$

- Different filters (weights) reveal a different characteristics of the input.


| $*^{1 / 8}$ | 0 | 1 | 0 |
| :---: | :---: | :---: | :---: |
|  | 1 | 4 | 1 |
|  | 0 | 1 | 0 |



## Convolution

$\operatorname{vec} \mathbf{y} \quad\left[=\left[\begin{array}{l}\square \\ \end{array}\right]\right.$

- Convolution $=$ Spatial filtering

$$
(a \star b)[i, j]=\sum_{i^{\prime}, j^{\prime}} a\left[i^{\prime}, j^{\prime}\right] b\left[i-i^{\prime}, j-j^{\prime}\right]
$$

- Different filters (weights) reveal a different characteristics of the input.


$*$| 0 | -1 | 0 |
| :---: | :---: | :---: |
| -1 | 4 | -1 |
| 0 | -1 | 0 |

## Convolution

- Convolution = Spatial filtering

$$
(a \star b)[i, j]=\sum_{i^{\prime}, j^{\prime}} a\left[i^{\prime}, j^{\prime}\right] b\left[i-i^{\prime}, j-j^{\prime}\right]
$$

- Different filters (weights) reveal a different characteristics of the input.


$* \quad$| 1 | 0 | -1 |
| :--- | :--- | :--- |
| 2 | 0 | -2 |
| 1 | 0 | -1 |

## Convolutional Neural Networks in a Nutshell

- A neural network model that consists of a sequence of local \& translation invariant layers
- Many identical copies of the same neuron: Weight/parameter sharing
- Hierarchical feature learning



## A bit of history

- Neocognitron model by Fukushima (1980)
- The first convolutional neural network (CNN) model
- so-called "sandwich" architecture
- simple cells act like filters
- complex cells perform pooling
- Difficult to train
- No backpropagation yet



## A bit of history

- LeNet-5 model

Y. LeCun, L. Bottou, Y. Bengio, and P. Haffner. Gradient-based learning applied to document recognition. Proceedings of the IEEE. 86 (11): 2278-2324, 1998.


## A bit of history

## - AlexNet model



## Convolutional Neural Network


A. Krizhevsky, I. Sutskever, and G. E. Hinton. Imagenet classification with deep convolutional neural networks. In NIPS 2012.

## Convolutional layer

- Learn a filter bank (a set of filters) once
- Use them over the input data to extract features

$$
\mathbf{y}=F * \mathbf{x}+b
$$



## Data = 3D Tensors

- There is a vector of feature channels (e.g. RGB) at each spatial location (pixel).



## Convolutions with 3D Filters

- Each filter acts on multiple input channels
- Local

Filters look locally

- Translation invariant

Filters act the same everywhere


## Convolutional Layer

$32 \times 32 \times 3$ input


## $5 \times 5 \times 3$ filter



Convolve the filter with the input i.e. "slide over the image spatially, computing dot products"

## Convolutional Layer



## Convolutional Layer


activation map


## Convolutional Layer

consider a second, green filter



## Convolutional Layer

- Multiple filters produce multiple output channels
- For example, if we had $65 \times 5$ filters, we'll get 6 separate activation maps:


We stack these up to get an output of size $28 \times 28 \times 6$.

## Spatial Arrangement of Output Volume



- Depth: number of filters
- Stride: filter step size (when we "slide" it)
- Padding: zero-pad the input

| Input Volume (+pad 1) (7x7x3)$x[:,:, 0]$ |  |  |  |  |  |  | Filter W0 ( $3 \times 3 \times 3$ ) <br> w0 [:, :, 0] |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | $0{ }^{0} 0$ | -1 |
| 0 | 1 | 2 | 0 | 0 | 0 | 0 | -1 0 | 0 |
| 0 | 2 | 2 | 0 | 0 | 0 | 0 | -1 -1 | -1 |
| 0 | 2 | 2 | 2 | 1 | 0 | 0 | w0 [: , : , 1] |  |
| 0 | 1 | 0 | 0 | 2 | 0 | 0 | 1 |  |
| 0 | 1 | 1 | 0 | 1 |  | 0 | 0 | 0 |
| 0 | 0 | 0 |  | 0 | 0 | 0 | -1 | 1 |
| x $0,1,1]$ w0[:, 2] |  |  |  |  |  |  |  |  |
| 0 | 0 | 0 | 0 | 0 | 0 |  | -1 |  |
| 0 | 1 | 0 | 2 |  | 0 | $\bigcirc$ | 0 X | 1 |
| 0 | 1 | 0 | 0 |  |  |  | $6 \quad-1$ | 0 |
| 0 | 0 | 0 | 1 | 2 |  |  |  |  |
| 0 | 0 | 1 |  |  | 0 | 0 bol:,:,0] |  |  |
| 0 | 1 | 1. |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
| 0 | , 0 | 0 | , | $0$ | $0$ |  |  |  |
| 0 | $0$ | 0 | 2 |  | $2$ | 0 |  |  |
| 0 | 1 | 2 | 2 | 2 | 0 | 0 |  |  |
| 0 | 1 | 1 | 1 | 1 | 0 | 0 |  |  |
| 0 | 1 | 2 | 0 | 0 | 0 | 0 |  |  |
| 0 | 2 | 2 | 2 | 1 | 0 | 0 |  |  |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |  |  |

Filter W1 (3x3x3)
w1 [:, : , 0]

| -1 | 0 | 0 |
| :--- | :--- | :--- |
| 1 | -1 | -1 |
| 0 | 0 | -1 |
| $w 1[:, ~:, 1]$ |  |  |
| -1 | 0 | 1 |
| 1 | -1 | 1 |
| -1 | 0 | 1 |
| w1 [ $:,:, 2]$ |  |  |
| -1 | -1 | -1 |
| -1 | 1 | -1 |
| 0 | 1 | -1 |

Bias bl (1x1xl)
b1[:, :, 0]
0

Output Volume (3x3x2)
○ [: , : , 0 $]$

| -3 | -1 | 4 |
| :--- | :--- | :--- |


| -2 | -7 | -4 |
| :--- | :--- | :--- |
| 1 | -1 | 1 |

O[: , : , 1]
$\begin{array}{lll}-7 & 3 & 1\end{array}$
$\begin{array}{llll}-7 & -11 & -1\end{array}$
$\begin{array}{lll}-4 & -2 & -4\end{array}$

| Inpu $x[:$ | V | 0] | (+ | pad |  | 7x3) |  | er W | $\begin{aligned} & 0(3 \times 3 \times 3 \\ & , 0] \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | -1 |
| 0 | 1 | 2 | 0 | 0 | 0 | 0 | -1 | 0 | 0 |
| 0 | 2 | 2 | 0 | 0 | 0 | 0 | -1 | -1 | -1 |
| 0 | 2 | 2 | 2 | 1 | 0 | 0 |  | :, | $1]$ |
| 0 | 1 | 0 | 0 | 2 | 0 | 0 |  |  |  |
| 0 | 1 | 1 | 0 | 1 | 0 | 0 |  | 0 | 0 |
| 0 | 0 | 0 | 0 | 8 | 0 |  | -1 | 1 | 1 |
|  |  |  |  |  |  |  |  |  |  |
| 0 | 0 | 0 | 0 | 0 | 0 |  |  |  |  |
| 0 | 1 | 0 | 0 | 1 | 0 |  | 0 |  | 1 |
| 0 | 1 | 0 | 0 | 0 | 1 |  |  |  | 0 |
| 0 | 0 | 0 | 1 | 2 | $0$ |  |  |  | (1x1x1) |
| 0 | 0 | 1 | 0 |  | 0 |  | b0 |  |  |
| 0 | 1 | 1 | 1 |  | 2 | 0 |  |  |  |
| 0 | 0 | 0 |  | 0 |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
| 0 | 0 | 0 | 0 | $\sqrt{\varnothing}$ | 0 | $0$ |  |  |  |
| 0 | 0 | 0 | $2$ | 2 | 2 | $\varnothing$ |  |  |  |
| 0 | 1 | $2$ | 2 | 2 | d | 0 |  |  |  |
| 0 | 1 | 1 | 1 | 1 | 0 | 0 |  |  |  |
| 0 | 1 | 2 | 0 | 0 | 0 | 0 |  |  |  |
| 0 | 2 | 2 | 2 | 1 | 0 | 0 |  |  |  |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |  |  |  |

Filter W1 (3x3x3)
w1 [:, : , 0]

| -1 | 0 | 0 |
| :--- | :--- | :--- |
| 1 | -1 | -1 |
| 0 | 0 | -1 |

w1 [:, : , 1]

| -1 | 0 | 1 |
| :--- | :--- | :--- |
| 1 | -1 | 1 |
| -1 | 0 | 1 |

w1 [:, : , 2]
$\begin{array}{lll}-1 & -1 & -1\end{array}$

| -1 | 1 | -1 |
| :--- | :--- | :--- |

$\begin{array}{llll}0 & 1 & -1\end{array}$

Bias b1 (1xlx1)
b1 [: , : , 0]

0

Output Volume (3x3x2)
$\circ[:,:, 0]$

| -3 | -1 | 4 |
| :---: | :---: | :---: |
| -2 | -7 | - |
| 1 | -1 |  |
| - [:, : , 1] |  |  |
| -7 | 3 |  |
| -7 | -11 |  |
|  |  |  |


| Input Volume (+pad 1) (7x7x3)$x[:,:, 0]$ |  |  |  |  |  |  | Filter W0 ( $3 \times 3 \times 3$ <br> w0 [:, :, 0] |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | -1 |
| 0 | 1 | 2 | 0 | 0 | 0 | 0 | -1 | 0 | 0 |
| 0 | 2 | 2 | 0 | 0 | 0 | 0 | -1 | -1 | -1 |
| 0 | 2 | 2 | 2 | 1 | 0 | 0 | w0 [ | : , | , 1] |
| 0 | 1 | 0 | 0 | 2 | 0 | 0 | 1 | 1 | - |
| 0 | 1 | 1 | 0 | 1 | 0 |  | 0 | O | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |  | 1 | 1 |
| $\mathrm{x}[:,:, 1]$ |  |  |  |  |  |  |  |  |  |
| 0 | 0 | 0 | 0 | 0 | 0 |  |  |  |  |
| 0 | 1 | 0 | 0 | 1 | 0 | O |  |  | 1 |
| 0 | 1 | 0 | 0 | 0 | 1 |  | 0 |  | 0 |
| 0 | 0 | 0 | 1 | 2 | 0 |  |  |  | $(1 \times 1$ |
| 0 | 0 | 1 | 0 | 1 | 0 |  | b0 |  | ,0] |
| 0 | 1 | 1 | 1 | 1 |  |  |  |  |  |
| 0 | 0 | 0 | 0 |  |  |  |  |  |  |
| $\mathrm{x}[:, \mathrm{:}, 2]$ |  |  |  |  |  |  |  |  |  |
| 0 | 0 | 0 | 0 | 0 | $0$ |  |  |  |  |
| 0 | 0 | 0 | 2 | 2 | 2 | 0 |  |  |  |
| 0 | 1 | 2 | 2 | $z^{2}$ | 0 | 0 |  |  |  |
| 0 | 1 | 1 | 1 | 1 | 0 | 0 |  |  |  |
| 0 | 1 | 2 | 0 | 0 | 0 | 0 |  |  |  |
| 0 | 2 | 2 | 2 | 1 | 0 | 0 |  |  |  |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |  |  |  |

Filter W1 (3x3x3)
w1 [:, : , 0]

| -1 | 0 | 0 |
| :--- | :--- | :--- |
| 1 | -1 | -1 |
| 0 | 0 | -1 |

w1 [:, : , 1]
$\begin{array}{llll}-1 & 0 & 1\end{array}$

| 1 | -1 | 1 |
| :--- | :--- | :--- |
| -1 | 0 | 1 |

w1 [:, : , 2]
$\begin{array}{lll}-1 & -1 & -1\end{array}$

| -1 | 1 | -1 |
| :--- | :--- | :--- |

$\begin{array}{lll}0 & 1 & -1\end{array}$

Bias b1 (1x1x1)
b1 [:, : , 0]
0

Output Volume (3x3x2)
$\bigcirc[:,:, 0]$

| -3 | -1 | 4 |
| :--- | :--- | :--- |
| -2 | -7 | -4 |


| -2 | -7 | -4 |
| :--- | :--- | :--- |
| 1 | -1 | 1 |

○ [:, : : 1]
$\begin{array}{lll}-7 & 3 & 1\end{array}$
$\begin{array}{llll}-7 & -11 & -1\end{array}$
$\begin{array}{lll}-4 & -2 & -4\end{array}$

Input Volume (+pad 1) (7x7x3)


Output Volume (3x3x2)
$\circ[:,:, 0]$
$\begin{array}{lll}-3 & -1 & 4\end{array}$
$\begin{array}{lll}-2 & -7 & -4\end{array}$
$\begin{array}{lll}1 & -1 & 1\end{array}$
o[:,:,1]
$\begin{array}{lll}-7 & 3 & 1\end{array}$
$\begin{array}{llll}-7 & -11 & -1\end{array}$
$\begin{array}{lll}-4 & -2 & -4\end{array}$

Input Volume (+pad 1) (7x7x3)
x[:, : , 0]

|  | , |  |  |  |  |  | w0 | :, : | , 0] |  | :, |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | -1 |  | 0 | 0 |
| 0 | 1 | 2 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | -1 | -1 |
| 0 | 2 | 2 | 0 | 0 | 0 | 0 | -1 | -1 | -1 | 0 | 0 | -1 |
| 0 | 2 | 2 | 2 | 1 | 0 | 0 | w0 |  |  | W1 |  |  |
| 0 | 1 | 0 | 0 | 2 | 0 |  |  |  |  | -1 | 0 |  |
| 0 | 1 | 1 | 0 | 1 | 0 | 0 | 0 | 0 |  |  | -1 | 1 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |  |  |  | -1 | 0 | 1 |
| x [ | : |  |  |  |  |  |  |  |  |  |  |  |
| 0 | 0 | 0 | 0 | 0 | 0 |  |  |  |  |  | -1 | - |
| 0 | 1 | 0 |  | 1 | 0 |  |  |  |  |  | 1 | -1 |
| 0 | 1 | 0 | 0 | 0 | $1$ |  |  |  |  | 0 | 1 | -1 |
| 0 | 0 | 0 | 1 |  |  |  |  |  |  |  |  |  |
| 0 | 0 |  | $\theta$ | 1 | $0$ |  |  |  |  |  | :, | , |
| 0 | 1 | 1 | 1 | 1 | 2 | $0$ |  |  |  |  |  |  |
| 0 | 0 | 0 | 0 | 0 | 0 |  |  |  |  |  |  |  |

Output Volume (3x3x2)
$\circ[:,:, 0]$
$\begin{array}{lll}-3 & -1 & 4\end{array}$
$\begin{array}{lll}-2 & -7 & -4\end{array}$
$\begin{array}{lll}1 & -1 & 1\end{array}$

- [:, : , 1]
$\begin{array}{lll}-7 & 3 & 1\end{array}$
$-7 \quad-11-1$
$\begin{array}{lll}-4 & -2 & -4\end{array}$

| $x[:, ~$ |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 2 | 2 | 2 | 0 |
| 0 | 1 | 2 | 2 | 2 | 0 | 0 |
| 0 | 1 | 1 | 1 | 1 | 0 | 0 |
| 0 | 1 | 2 | 0 | 0 | 0 | 0 |
| 0 | 2 | 2 | 2 | 1 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |

Input Volume (+pad 1) (7x7x3)


Output Volume (3x3x2)
○ [:, : , 0]
$\begin{array}{lll}-3 & -1 & 4\end{array}$
$\begin{array}{llll}-2 & -7 & -4\end{array}$
$\begin{array}{lll}1 & -1 & 1\end{array}$
o[:,:,1]
$\begin{array}{lll}-7 & 3 & 1\end{array}$

| -7 | -11 | -1 |
| :--- | :--- | :--- | :--- |

$\begin{array}{lll}-4 & -2 & -4\end{array}$

Input Volume (+pad 1) (7x7x3)

| $\mathrm{x}[:, 0]$ |  |  |  |  |  |  |
| :---: | :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 1 | 2 | 0 | 0 | 0 | 0 |
| 0 | 2 | 2 | 0 | 0 | 0 | 0 |

$\begin{array}{lllllll}0 & 2 & 2 & 0 & 0 & 0 & 0\end{array}$

| 0 | 2 | 2 | 2 | 1 | 0 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 1 | 0 | 0 | 2 | 0 | 0 |


$x[:,:, 1]$


| 0 | 0 | 0 | 0 | 0 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 1 | 0 | 0 | 1 | 0 | $\begin{array}{llllllll}0 & 1 & 0 & 0 & 1 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 1 & 0\end{array}$



0

Filter W0 ( $3 \times 3 \times 3$ )
Filter W1 (3x3x3)

$$
\text { wo }[:,:, 0]
$$

$$
\begin{array}{ccc}
\mathrm{w} 0\left[\begin{array}{l}
1 \\
0
\end{array}\right. & 0 \\
0 & 0 & -1
\end{array}
$$ w1 [:, :, 0 ]

Output Volume ( $3 \times 3 \times 2$ )
$\circ[:,:, 0]$
$\begin{array}{lll}-3 & -1 & 4\end{array}$
$\begin{array}{lll}-2 & -7 & -4\end{array}$
$\begin{array}{lll}1 & -1 & 1\end{array}$
O[:, : , 1]
$\begin{array}{lll}-7 & 3 & 1\end{array}$

| -7 | -11 | -1 |
| :--- | :--- | :--- | :--- |


| -4 | -2 | -4 |
| :--- | :--- | :--- |



Input Volume (+pad 1) (7x7x3)


Output Volume (3x3x2)

- [: , : , 0]
$\begin{array}{lll}-3 & -1 & 4\end{array}$
$\begin{array}{lll}-2 & -7 & -4\end{array}$
$\begin{array}{lll}1 & -1 & 1\end{array}$
- [: , : , 1]
$\begin{array}{lll}-7 & 3 & 1\end{array}$
$\begin{array}{llll}-7 & -11 & -1\end{array}$
$\begin{array}{llll}-4 & -2 & -4 \\ \end{array}$


## Convolutional layers

- Local receptive field
- Each column of hidden units looks at a different input patch



## Receptive Fields

- For convolution with kernel size K , each element in the output depends on a $K \times K$ receptive field in the input


Input


Output

## Receptive Fields

- Each successive convolution adds $\mathrm{K}-1$ to the receptive field size With L layers the receptive field size is $1+L^{*}(K-1)$


Input


Problem: For large images we need many layers for each output to "see" the whole image image


Output

## 1x1 Convolution



## Other types of convolution

So far: 2D Convolution

Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$
Weights: $\mathrm{C}_{\text {out }} \times \mathrm{C}_{\text {in }} \times \mathrm{K} \times \mathrm{K}$


1D Convolution
Input: $\mathrm{C}_{\text {in }} \times \mathrm{W}$
Weights: $\mathrm{C}_{\text {out }} \times \mathrm{C}_{\text {in }} \times \mathrm{K}$

## 3D Convolution

Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W} \times \mathrm{D}$
Weights: $\mathrm{C}_{\text {out }} \times \mathrm{C}_{\text {in }} \times K \times K \times K$


## Convolutional layers



32
28

## Repeat linear / non-linear operators



## Linear/Non-linear Chains

- The basic blueprint of most architectures
- Stack multiple layers of convolutions



## Feature Learning

- Hierarchical layer structure allows to learn hierarchical filters (features).



## Feature Learning

- Hierarchical layer structure allows to learn hierarchical filters (features).



## Pooling layer

- makes the representations smaller and more manageable
- operates over each activation map independently:
- Max pooling, average pooling, etc.

Single depth slice

$x \uparrow$| 1 | 1 | 2 | 4 |
| :---: | :---: | :---: | :---: |
| 5 | 6 | 7 | 8 |
| 3 | 2 | 1 | 0 |
| 1 | 2 | 3 | 4 |

$$
\xrightarrow{\begin{array}{l}
\text { max pool with } 2 \times 2 \\
\text { filters and stride } 2
\end{array}} \begin{array}{|l|l|}
\hline 6 & 8 \\
\hline 3 & 4 \\
\hline
\end{array}
$$



## Fully connected layer

- contains neurons that connect to the entire input volume, as in ordinary Neural Networks



## Design Guidelines

## Design Guidelines

features

image

## Guideline 1: Avoid tight bottlenecks

- From bottom to top
- The spatial resolution $\mathrm{H} \times \mathrm{W}$ decreases
- The number of channels C increases
- Guideline
- Avoid tight information bottleneck
- Decrease the data volume $\mathrm{H} \times \mathrm{W} \times \mathrm{C}$ slowly
K. Simonyan and A. Zisserman. Very deep convolutional networks for large-scale image recognition. In ICLR 2015.
C. Szegedy, V. Vanhoucke, S. loffe, and J. Shlens. Rethinking the inception architecture for computer vision. In CVPR 2016.


## Receptive Field


neuron's receptive field

## Must be large enough

- Receptive field of a neuron
-The image region influencing a neuron
- Anything happening outside is invisible to the neuron
- Importance
- Large image structures cannot be detected by neurons with small receptive fields
- Enlarging the receptive field
- Large filters
- Chains of small filters


## Design Guidelines

## Guideline 2: Prefer small filter chains

One big filter bank

$5 \times 5$ filters

+ ReLU

Two smaller filter banks

$\begin{array}{cc}3 \times 3 \text { filters } & 3 \times 3 \text { filters } \\ + \text { ReLU } & + \text { ReLU }\end{array}$

- Remark: 101 ResNet layers same size/speed as 16 VGG-VD layers
- Reason: Far fewer feature channels (quadratic speed/space gain)
- Moral: Optimize your architecture


## Design Guidelines

## Guideline 3：

Keep the number of channels at bay



F 日回日回
$H_{f} \times W_{f} \times C \times K$
Num．of parameters
complexity $\propto C \times K$

## Design Guidelines

## Guideline 4:

M filters
Less
computations with filter groups


Did we see this before?
complexity $\propto(C \times K) / G$

## AlexNet



## Design Guidelines

## Guideline 4:

Less
computations with filter groups

Full filters


Group-sparse filters

complexity: $C \times K / G$

Groups = filters, seen as a matrix, have a "block" structure

## Design Guidelines

## Guideline 5:

Low-rank decompositions
filter bank $3 \times 3 \times C \times K$
decompose spatially


groups $3 \times 3 \times C / G \times K / G$
"network in network"
$1 \times 1 \times K \times K$

## Design Guidelines

Guideline 6:
Dilated Convolutions


49 coefficients
18 degrees of freedom


25 coefficients
9 degrees of freedom

Exponential expansion of the receptive field without loss of resolution

## Convolutional Neural Network Demo

- ConvNetJS demo: training on CIFAR-10
- http://cs.stanford.edu/people/karpathy/convnetjs/demo/cifar10.html


## CNN Architectures

## ImageNet Classification Challenge



## AlexNet

## [Krizhevsky et al. 2012]

Full (simplified) AlexNet architecture:
 [227x227x3] INPUT
[55×55x96] CONV1: $9611 \times 11$ filters at stride 4 , pad 0 [27x27x96] MAX POOL1: $3 \times 3$ filters at stride 2 [ $27 \times 27 \times 96$ ] NORM1: Normalization layer
[27×27×256] CONV2: $2565 \times 5$ filters at stride 1, pad 2 [13×13×256] MAX POOL2: $3 \times 3$ filters at stride 2
[13×13×256] NORM2: Normalization layer
[13×13x384] CONV3: $3843 \times 3$ filters at stride 1, pad 1
[13×13×384] CONV4: $3843 \times 3$ filters at stride 1, pad 1
[13×13×256] CONV5: $2563 \times 3$ filters at stride 1, pad 1
[ $6 \times 6 \times 256$ ] MAX POOL3: $3 \times 3$ filters at stride 2
[4096] FC6: 4096 neurons
[4096] FC7: 4096 neurons
[1000] FC8: 1000 neurons (class scores)

## Details/Retrospectives:

- first use of ReLU
- used Norm layers (not common anymore)
- heavy data augmentation
- dropout 0.5
- batch size 128
- SGD Momentum 0.9
- Learning rate 1e-2, reduced by 10 manually when val accuracy plateaus
- L2 weight decay 5e-4
- 7 CNN ensemble: 18.2\% -> 15.4\%


## AlexNet

Most of the memory usage is in the early convolution layers
Memory (KB)



Most floating-point ops occur in the convolution layers

MFLOP


## ImageNet Classification Challenge



## ZFNet: A Bigger AlexNet



AlexNet but:
CONV1: change from ( $11 \times 11$ stride 4 ) to ( $7 \times 7$ stride 2) CONV3,4,5: instead of 384, 384, 256 filters use 512, 1024, 512
More trial and error

## ImageNet Classification Challenge



CONV3-64: [224×224×64] memory: $224^{*} 224^{*} 64=3.2 \mathrm{M}$ params: $(3 * 3 * 3)^{*} 64=1,728$
CONV3-64: [224×224×64] memory: $224^{*} 224^{*} 64=3.2 \mathrm{M}$ params: $\left(3^{*} 3^{*} 64\right)^{*} 64=36,864$
POOL2: [112×112x64] memory: 112*112*64=800K params: 0
CONV3-128: [112×112×128] memory: $112^{*} 112^{*} 128=1.6 \mathrm{M}$ params: $\left(3^{*} 3^{*} 64\right)^{*} 128=73,728$
CONV3-128: [112×112×128] memory: $112^{*} 112^{*} 128=1.6 \mathrm{M}$ params: $\left(3^{*} 3^{*} 128\right)^{*} 128=147,456$
POOL2: [56x56x128] memory: $56 * 56 * 128=400 \mathrm{~K}$ params: 0
CONV3-256: [56x56x256] memory: 56*56*256=800K params: $(3 * 3 * 128) * 256=294,912$
CONV3-256: [56x56x256] memory: $56 * 56^{*} 256=800 \mathrm{~K}$ params: $\left(3^{*} 3^{*} 256\right)^{*} 256=589,824$
CONV3-256: [56x56x256] memory: $56 * 56^{*} 256=800 \mathrm{~K}$ params: $\left(3^{*} 3^{*} 256\right)^{*} 256=589,824$
POOL2: [28×28×256] memory: $28^{*} 28^{*} 256=200 \mathrm{~K}$ params: 0
CONV3-512: [28×28×512] memory: $28^{*} 28^{*} 512=400 \mathrm{~K}$ params: $\left(3^{*} 3^{*} 256\right) * 512=1,179,648$
CONV3-512: $[28 \times 28 \times 512]$ memory: $28^{*} 28^{*} 512=400 \mathrm{~K}$ params: $\left(3^{*} 3^{*} 512\right)^{*} 512=2,359,296$
CONV3-512: $[28 \times 28 \times 512]$ memory: $28^{*} 28^{*} 512=400 \mathrm{~K}$ params: $\left(3^{*} 3^{*} 512\right)^{*} 512=2,359,296$
POOL2: [14×14×512] memory: 14*14*512=100K params: 0
CONV3-512: $[14 \times 14 \times 512]$ memory: $14 * 14 * 512=100 \mathrm{~K}$ params: $(3 * 3 * 512) * 512=2,359,296$
CONV3-512: $[14 \times 14 \times 512]$ memory: $14 * 14 * 512=100 \mathrm{~K}$ params: $\left(3^{*} 3^{*} 512\right) * 512=2,359,296$
CONV3-512: [14×14×512] memory: $14^{*} 14^{*} 512=100 \mathrm{~K}$ params: $\left(3^{*} 3^{*} 512\right)^{*} 512=2,359,296$ POOL2: [7x7x512] memory: $7 * 7 * 512=25 \mathrm{~K}$ params: 0
FC: [1x1x4096] memory: 4096 params: $7 * 7 * 512 * 4096=102,760,448$
FC: [1x1x4096] memory: 4096 params: $4096 * 4096=16,777,216$
FC: [1x1x1000] memory: 1000 params: $4096 * 1000=4,096,000$
TOTAL memory: 24 M * 4 bytes $\sim=93 \mathrm{MB}$ / image


## VGG: Deeper Networks, Regular Design

## VGG Design rules:

All conv are $3 \times 3$ stride 1 pad 1
All max pool are $2 \times 2$ stride 2
After pool, double \#channels

Network has 5 convolutional stages:
Stage 1: conv-conv-pool
Stage 2: conv-conv-pool
Stage 3: conv-conv-pool
Stage 4: conv-conv-conv-[conv]-pool
Stage 5: conv-conv-conv-[conv]-pool
(VGG-19 has 4 conv in stages 4 and 5)


AlexNet


VGG16


VGG19

## VGG: Deeper Networks, Regular Design

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(VGG-19 has 4 conv in stages 4 and 5)

Two $3 \times 3$ conv has same receptive field as a single $5 \times 5$ conv, but has fewer parameters and takes less computation!


## VGG: Deeper Networks, Regular Design

VGG Design rules:
All conv are $3 \times 3$ stride 1 pad 1 All max pool are $2 \times 2$ stride 2 After pool, double \#channels

Network has 5 convolutional stages:
Stage 1: conv-conv-pool
Stage 2: conv-conv-pool
Stage 3: conv-conv-pool
Stage 4: conv-conv-conv-[conv]-pool
Stage 5: conv-conv-conv-[conv]-pool
(VGG-19 has 4 conv in stages 4 and 5)

Conv layers at each spatial resolution take the same amount of computation!

AlexNet


VGG16


VGG19

## ImageNet Classification Challenge



## GoogLeNet

Many innovations for efficiency: reduce parameter count, memory usage, and computation

## GoogLeNet



Stem network at the start aggressively downsamples input (Recall in VGG-16: Most of the compute was at the start)

## GoogLeNet




Inception module Local unit with parallel branches Local structure repeated many times throughout the network Uses $1 \times 1$ "Bottleneck" layers to reduce channel dimension before expensive conv

## GoogLeNet

## Auxiliary Classifiers

Training using loss at the end of the network didn't work well: Network is too deep, gradients don't propagate cleanly
As a hack, attach "auxiliary classifiers" at several intermediate points in the network that also try to classify the image and receive loss

GoogLeNet was before batch normalization! With BatchNorm no longer need to use this trick

## ImageNet Classification Challenge



## Residual Net (ResNet)

A residual network is a stack of many residual blocks

Regular design, like VGG: each residual block has two $3 \times 3$ conv

Network is divided into stages: the first block of each stage halves the resolution (with stride-2 conv) and doubles the number of channels


## Residual Net (ResNet)



## Residual Learning

## Fixed identity // learned residual

K. He, X. Zhang, S. Ren, and J. Sun. Deep residual learning for image recognition. In CVPR 2016.


## Residual Learning



- "Overly deep" plain nets have higher training error
- A general phenomenon, observed in many datasets
- This is optimization issue, deeper models are harder to optimize


## Residual Learning

- Richer solution space
- A deeper model should not have higher training error
- A solution by construction:
- original layers: copied from a
- learned shallower model
- extra layers: set as identity
- at least the same training error



## Residual Learning



- The loss surface of a 56-layer net using the CIFAR-10 dataset, both without (left) and with (right) residual connections.


## ImageNet Classification Challenge



## Comparing Complexity



## Comparing Complexity



## Comparing Complexity

VGG: Highest memory, most operations


## Comparing Complexity



GoogLeNet:
Very efficient!


## Comparing Complexity



## Comparing Complexity

ResNet: Simple design, moderate efficiency,
high accuracy



## ImageNet Classification Challenge



## Post-ResNet Architectures

ResNet made it possible to increase accuracy with larger, deeper models

Many followup architectures emphasize efficiency: can we improve accuracy while controlling for model "complexity"?68

ImageNet Accuracy (Top1)



## Measures of Model Complexity

## Parameters: How many learnable parameters does the model have?

Floating Point Operations (FLOPs): How many arithmetic operations does it take to compute the forward pass of the model?

Watch out, lots of subtlety here:

- Many papers only count operations in conv layers (ignore ReLU, pooling, BatchNorm).

Most papers use " 1 FLOP" = " 1 multiply and 1 addition" so dot product of two N-dim vectors takes N FLOPs; some papers say MADD or MACC instead of FLOP

- Other sources (e.g. NVIDIA marketing material) count " 1 multiply and one addition" $=2$ FLOPs, so dot product of two N -dim vectors takes 2N FLOPs

Network Runtime: How long does a forward pass of the model take on real hardware?

## Comparing Complexity



## Key ingredient: <br> Grouped / Separable convolution

## Recall: Convolution Layer <br> > Each filter has the > same number of > channels as the input <br> <br> Each filter has the <br> <br> Each filter has the <br> <br> same number of <br> <br> same number of <br> <br> channels as the input

 <br> <br> channels as the input}

Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$


Weights: $\mathrm{C}_{\text {out }} \times \mathrm{C}_{\text {in }} \times K \times K$


Output: $\mathrm{C}_{\text {out }} \times \mathrm{H}^{\prime} \times \mathrm{W}^{\prime}$

## Recall: Convolution Layer <br> > Each filter has the same number of channels as the input <br> <br> Each filter has the <br> <br> Each filter has the same number of same number of channels as the input

 channels as the input}Each plane of the output depends on the full input and one filter


Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$


Weights: $\mathrm{C}_{\text {out }} \times \mathrm{C}_{\text {in }} \times \mathrm{K} \times \mathrm{K}$


Output: $\mathrm{C}_{\text {out }} \times \mathrm{H}^{\prime} \times \mathrm{W}^{\prime}$

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## Recall: Convolution Layer <br> $$
\begin{aligned} & \text { Each filter has the } \\ & \text { same number of } \\ & \text { channels as the input } \end{aligned}
$$ same number of same number of channels as the input

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## Recall: Convolution Layer <br> $$
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$$

Each plane of the output depends on the full input and one filter


Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$


Weights: $\mathrm{C}_{\text {out }} \times \mathrm{C}_{\text {in }} \times K \times K$


Output: $\mathrm{C}_{\text {out }} \times \mathrm{H}^{\prime} \times \mathrm{W}^{\prime}$

## Grouped Convolution

## Grouped Convolution

Divide channels of input into $G$ groups with $\left(\mathrm{C}_{\mathrm{in}} / \mathrm{G}\right)$ channels each


Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$


## Grouped Convolution Divide filters into G groups; each group looks at a subset of <br> Divide channels of input into $G$

 groups with $\left(\mathrm{C}_{\mathrm{in}} / \mathrm{G}\right)$ channels each

Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$
Weights: $C_{\text {out }} \times\left(C_{\text {in }} / G\right) \times K \times K$

## Grouped Convolution <br> Divide filters into G groups; each group looks at a subset of <br> Divide channels of input into $G$ input channels

groups with $\left(\mathrm{C}_{\text {in }} / \mathrm{G}\right)$ channels each


Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$


Weights: $C_{\text {out }} \times\left(C_{\text {in }} / G\right) \times K \times K$

Each plane of the output depends on one filter and a subset of the input channels


## Group Convolution

Divide channels of input into $G$ groups with $\left(\mathrm{C}_{\mathrm{in}} / \mathrm{G}\right)$ channels each


Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$

Divide filters into G groups; each group looks at a subset of input channels


Each plane of the output depends on one filter and a subset of the input channels


## Grounconvolution

Divide channels of input into $G$ groups with $\left(\mathrm{C}_{\text {in }} / \mathrm{G}\right)$ channels each


Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$

Divide filters into G groups; each group looks at a subset of input channels


Each plane of the output depends on one filter and a subset of the input channels


## Group Convolution

Divide channels of input into $G$ groups with $\left(\mathrm{C}_{\mathrm{in}} / \mathrm{G}\right)$ channels each


Each plane of the output depends on one filter and a subset of the input channels


Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$
Weights: $\mathrm{C}_{\text {out }} \times\left(\mathrm{C}_{\text {in }} / \mathrm{G}\right) \times \mathrm{K} \times \mathrm{K}$ Output: $\mathrm{C}_{\text {out }} \times \mathrm{H}^{\prime} \times \mathrm{W}^{\prime}$

## Group Convolution

Divide channels of input into $G$ groups with $\left(\mathrm{C}_{\mathrm{in}} / \mathrm{G}\right)$ channels each


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Weights: $\mathrm{C}_{\text {out }} \times\left(\mathrm{C}_{\text {in }} / \mathrm{G}\right) \times \mathrm{K} \times \mathrm{K}$ Output: $\mathrm{C}_{\text {out }} \times \mathrm{H}^{\prime} \times \mathrm{W}^{\prime}$

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Divide filters into G groups; each group looks at a subset of input channels


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Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$
Weights: $\mathrm{C}_{\text {out }} \times\left(\mathrm{C}_{\text {in }} / \mathrm{G}\right) \times \mathrm{K} \times \mathrm{K}$ Output: $\mathrm{C}_{\text {out }} \times \mathrm{H}^{\prime} \times \mathrm{W}^{\prime}$

Each plane of the output depends on one filter and a subset of the input channels


## Special Case: Depthwise Convolution

Number of groups equals number of input channels


H

W

Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$

Common to also set $\mathrm{C}_{\text {out }}=\mathrm{G}$


Weights: $\mathrm{C}_{\text {out }} \times 1 \times K \times K$

Output only mixes spatial information from input; channel information not

Output: $\mathrm{C}_{\text {out }} \times \mathrm{H}^{\prime} \times \mathrm{W}^{\prime}$

## Special Case: Depthwise Convolution

Number of groups equals number of input channels


Can still have multiple filters


Output only mixes spatial information from input; channel information not mixed


## Grouped Convolution vs Standard Convolution

Grouped Convolution (G groups):
G parallel conv layers; each "sees"
$\mathrm{C}_{\text {in }} / \mathrm{G}$ input channels and produces
$\mathrm{C}_{\text {out }} / \mathrm{G}$ output channels
Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$
Split to $G \times\left[\left(\mathrm{C}_{\text {in }} / \mathrm{G}\right) \times \mathrm{H} \times \mathrm{W}\right]$
Weight: $G \times\left(C_{\text {out }} / G\right) \times\left(C_{\text {in }} / G\right) \times K \times K$
G parallel convolutions
Output: $\mathrm{G} \times\left[\left(\mathrm{C}_{\text {out }} / \mathrm{G}\right) \times \mathrm{H}^{\prime} \times \mathrm{W}^{\prime}\right]$
Concat to $\mathrm{C}_{\text {out }} \times \mathrm{H}^{\prime} \times \mathrm{W}^{\prime}$
FLOPs: $\mathrm{C}_{\text {out }} \mathrm{C}_{\text {in }} \mathrm{K}^{2} \mathrm{HW} / G$

## Standard Convolution (groups=1)

Input: $\mathrm{C}_{\text {in }} \times \mathrm{H} \times \mathrm{W}$<br>Weight: $\mathrm{C}_{\text {out }} \times \mathrm{C}_{\text {in }} \times \mathrm{K} \times \mathrm{K}$<br>Output: $\mathrm{C}_{\text {out }} \times \mathrm{H}^{\prime} \times \mathrm{W}^{\prime}$<br>FLOPs: $\mathrm{C}_{\text {out }} \mathrm{C}_{\text {in }} \mathrm{K}^{2} \mathrm{HW}$

All convolutional kernels touch
all $C_{\text {in }}$ channels of the input

## Using G groups reduces FLOPs by a factor of G!

## Improving ResNets


"Bottleneck"
Residual block
Total FLOPs:
17HWC²

## Improving ResNets: ResNeXt

G parallel pathways

"Bottleneck"
Residual block

Total FLOPs:
17HWC²


Example: $\mathrm{C}=64, \mathrm{G}=4, \mathrm{c}=24 ; \mathrm{C}=64, \mathrm{G}=32, \mathrm{c}=4$

## Squeeze-and-Excitation Networks (SENet)



## Squeeze-and-Excitation Networks (SENet)

ImageNet Top-1 Accuracy


Add SE to any architecture, enjoy 1-2\% boost in accuracy

## Recall: Convolution Layer

New model family

Instead of pushing for the largest network with biggest accuracy, consider tiny networks and accuracy / complexity tradeoff

Compare families of models:
One family is better than another if it moves the whole curve up and to the left


## Model Complexity

(FLOPs, \#params, runtime speed)

## MobileNets: Tiny Networks (For Mobile Devices)

Standard Convolution Block
Total cost: $9 \mathrm{C}^{2} \mathrm{HW}$


$$
\begin{aligned}
\text { Speedup } & =9 C 2 /\left(9 C+C^{2}\right) \\
& =9 C /(9+C) \\
& =>9(\text { as } C->\text { inf })
\end{aligned}
$$

Depthwise Separable Convolution
Total cost: $\left(9 \mathrm{C}+\mathrm{C}^{2}\right) \mathrm{HW}$


## MobileNetV2: Inverted Bottleneck, Linear Residual



## MobileNetV2: Inverted Bottleneck, Linear Residual



Keeps activations in reasonable range when running inference in low precision


## ShuffleNet




## CNN Architectures Summary

- Early work (AlexNet->VGG->ResNet):bigger networks work better
- New focus on efficiency: Improve accuracy, control for network complexity
- Grouped and Depthwise Convolution appear in many modern architectures
- Squeeze-and-Excite adds accuracy boost to just about any architecture while only adding a tiny amount of FLOPs and runtime
- Tiny networks for mobile devices (MobileNet, ShuffleNet)
- Neural Architecture Search(NAS) promised to automate architecture design
- More recent work has moved towards careful improvements to ResNet-like architectures
- ResNet and ResNeXt are still surprisingly strong and popular architectures!


## Transfer Learning with

 Convolutional Neural Networks
## Beyond CNNs

- Do features extracted from the CNN generalize other tasks and datasets?
- Donahue et al. (2013), Chatfield et al. (2014), Razavian et al. (2014), Yosinski et al. (2014), etc.
- CNN activations as deep features
- Finetuning CNNs


## CNN activations as deep features

- CNNs discover effective representations. Why not to use them?



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## CNN activations as deep features

- CNNs discover effective representations. Why not to use them?


Zeiler et al., 2014

## CNN activations as deep features

- CNNs discover effective representations. Why not


Zeiler et al., 2014

## CNNs as deep features

- CNNs discover effective representations. Why not to use them?
- structure, construction
- covering
- commodity, trade good, good
- conveyance, transport
- invertebrate
- bird
- hunting dog


LLC
t-SNE feature visualizations on the ILSVRC-2012


GIST


Conv-1 activations


Conv-6 activations

## Transfer Learning with CNNs

- A CNN trained on a (large enough) dataset generalizes to other visual tasks

A. Joulin, L.J.P. van der Maaten, A. Jabri, and N. Vasilache Learning visual features from Large Weakly supervised Data. ECCV 2016


## Transfer Learning with CNNs

- Keep layers 1-7 of our ImageNet-trained model fixed
- Train a new softmax classifier on top using the training images of the new dataset.

| image |  |
| :---: | :---: |
| conv-64 | 1. Train on |
| conv-64 |  |
| maxpool |  |
| conv-128 |  |
| conv-128 |  |
| maxpool |  |
| conv-256 |  |
| conv-256 |  |
| maxpool |  |
| conv-512 |  |
| conv-512 |  |
| maxpool |  |
| conv-512 |  |
| conv-512 |  |
| maxpool |  |
| FC-4096 |  |
| Fc-4096 |  |
| FC-1000 |  |
| softmax |  |




## How transferable are features in CNN networks?

- Divide ImageNet into man-made objects A (449 classes) and natural objects B (551 classes)
- The transferability of features decreases as the distance between the base task and target task increases



## How transferable are features in CNN networks?

- An open research problem



## Semantic Segmentation

## Semantic Image Segmentation

- Label individual pixels



## Convolutional Layers

- Local receptive field



## Fully Connected Layers

- Global receptive field
class predictions



## Convolutional vs. Fully Connected

- Comparing

Responses are spatially selective, can be used to localize things.

Responses are global, do not characterize well position fields


Fully-Connected Layer = Large Filter


Fully-Convolutional Neural Networks


## Fully-Convolutional Neural Networks



- Dense evaluation
- Apply the whole network convolutional
- Estimates a vector of class probabilities at each pixel
- Downsampling
- In practice most network downsample the data fast
- The output is very low resolution (e.g. 1/32 of original)


## Upsampling The Resolution

- Interpolating filter


Upsampling filters allow to increase the resolution of the output
Very useful to get full-resolution segmentation results

## Deconvolution Layer

- Or convolution transpose



## Deconvolution Layer

- Or convolution transpose

Convolution


As matrix multiplication


Banded matrix equivalent to $F$

## Deconvolution Layer

- Or convolution transpose

Convolution


Convolution transpose



As matrix multiplication


Banded matrix equivalent to $F$


## U-Architectures

- Image to image

input image


## U-Architectures

- Image to image



## U-Architectures

- Image to image



## U-Architectures

- Several variants: FCN, U-arch, deconvolution, ...

J. Long, E. Shelhamer, and T. Darrell. Fully convolutional models for semantic segmentation. In CVPR 2015
H. Noh, S. Hong, and B. Han. Learning deconvolution network for semantic segmentation. In ICCV 2015
O. Ronneberger, P. Fischer, and T. Brox. U-net: Convolutional networks for biomedical image segmentation. In MICCAI 2015


## Object Detection



MS COCO
MS CO
Dataset
Images
MS CO
Dataset
Images


0

MS COCO

- 80 different categories

tv

MS COCO Dataset Images $+$

## Annotations



## COCO Object Detection Average Precision (\%)

- Area under a detector's precision-recall curve, averaged over...
- Object categories
-True positive overlap requirement (loU from 0.5 to 0.95 ; see below)



## More than one "stage" ( $\approx$ proposal based; but doesn't require proposals) classification of reduced output



## One stage

Direct classification
Of all output space elements


Redmond et al. You Only Look Once:
Unified Real-time Object Detection. In CVPR 2016

"You only look once"
"Single shot"

## COCO Object Detection Average Precision (\%)

Past
(best circa 2012)

5

DPM
(Pre DL)
Felzenszwalb, Girshick, McAllester, Ramanan. Object Detection with Discriminatively Trained Part Based Models. PAMI 2010.

## COCO Object Detection Average Precision (\%)

# COCO Object Detection Average Precision (\%) 

| Past <br> (best circa <br> 2012) | Early <br> 2015 |  |
| :---: | :---: | :---: |
|  |  |  |
| 5 | 15 | 19 |
| $\square$ | $\square$ | $\square$ |

## COCO Object Detection Average Precision (\%)

$\left.\begin{array}{cccc}\text { Past } \\ \text { (best circa } \\ 2012 \text { ) }\end{array} \quad \begin{array}{c}\text { Early } \\ 2015\end{array}\right)$

## COCO Object Detection Average Precision (\%)



[^0]
## COCO Object Detection Average Precision (\%)



## COCO Object Detection Average Precision (\%)

| Past <br> (best circa <br> 2012 ) | Early <br> 2015 |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |

## COCO Object Detection Average Precision (\%)



## "Slow" R-CNN

Per-image computation
Per-region computation for each $r_{i} \in r(I)$


## "Slow" R-CNN

Per-image computation
Per-region computation for each $r_{i} \in r(I)$


Very heavy per-region computation E.g., 2000 full network evaluations

## "Slow" R-CNN

Per-image computation
Per-region computation for each $r_{i} \in r(I)$


## Generalized R-CNN Approach to Detection

Per-image computation
Per-region computation for each $r_{i} \in r(I)$


## Fast R-CNN

Per-region computation for each $r_{i} \in r(I)$


Softmax clf.

Lightweight per-region computation

## Fast R-CNN

Per-image computation
Per-region computation for each $r_{i} \in r(I)$


## Whole-image FCN

- Use any standard ConvNet as the "backbone architecture"
- AlexNet, VGG, ResNet, Inception, Inception-ResNet, ResNeXt, DenseNet, ...
- Use the first N layers with spatial extent (e.g., up to "conv5")



## Fast R-CNN

Per-image computation
Per-region computation for each $r_{i} \in r(I)$

## RoIPool (on each Proposal)



## RoIPool (on each Proposal)



## RoIPool (on each Proposal)



## Fast R-CNN

Per-image computation
Per-region computation for each $r_{i} \in r(I)$


## Faster R-CNN

Per-image computation




Per-region computation for each $r_{i} \in r(I)$

## Learned proposals

 Sharing computation with whole-image network
## Region Proposal Network (RPN)

Proposals = sliding window object/not-object classifier + box regression inside the same network


## Mask R-CNN

Per-image computation
Per-region computation for each $r_{i} \in r(I)$


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Per-image computation
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## RoIAlign (on each Proposal)



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Feature value is average of interpolated values on grid

## Compare to RolPool


(c) RoIAlign (ResNet-50-C4): Mask results with various RoI layers. Our RoIAlign layer improves AP by $\sim 3$ points and $\mathrm{AP}_{75}$ by $\sim 5$ points. Using proper alignment is the only factor that contributes to the large gap between RoI layers.

## Compare to RolPool

## Quantization breaks pixel-to-pixel alignment



## Instance Segmentation



## Mask R-CNN

Per-image computation
Per-region computation for each $r_{i} \in r(I)$


## Mask Head (on each Proposal)

- Task specific heads for ...
- Object classification
-Bounding box detection
- Instance mask prediction

Standard Fast/er R-CNN head

RolAlign transformed features

## Mask Head (on each Proposal)

- Task specific heads for ...
- Object classification
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RoIAlign transformed features

RolAlign


## Mask R-CNN: Extension to 2D Human Pose



Per-region computation for each $r_{i} \in r(I)$


## Pose Head


(Not shown: Head architecture is slightly different for keypoints) keypoints

- Add keypoint head ( $28 \times 28 \times 17$ )

left_wrist 0.91

right_knee 0.99


left_shoulder 0.97right_shoulder 1.00

right_wrist 0.97

left_ankle 0.91


left hip 0.96

right_ankle 0.98


left_elbow 0.41

right_hip 0.97


17 keypoint "mask predictions shown as heatmaps with OKS scores from argmax positions

- Predict one "mask" for each keypoint
- Softmax over spatial locations (encodes one keypoint per mask "prior")


## Mask R-CNN: Training

- Same as "image centric" Fast/er R-CNN training
- But with training targets for masks


## Example Mask Training Targets



## Mask R-CNN: Inference

## 1. Perform Faster R-CNN inference

- Run backbone FCN
- Generate proposals with RPN
-Score the proposals with clf. head
- Refine proposals with box regressor
-Apply NMS and take the top K (= 100, e.g.)

2. Run RolAlign and mask head on top- $K$ refined, post-NMS boxes

- Fast (only compute masks for top-K detections)
- Improves accuracy (uses refined detection boxes, not proposals)


## Mask Prediction



Validation image with box detection shown in red
$28 \times 28$ soft prediction from Mask R-CNN (enlarged)


Soft prediction resampled to image coordinates (bilinear and bicubic interpolation work equally well)


Final prediction (threshold at 0.5)


## Mask Prediction



Validation image with box detection shown in red
$28 \times 28$ soft prediction from Mask R-CNN (enlarged)


Soft prediction resampled to image coordinates (bilinear and bicubic interpolation work equally well)


Final prediction (threshold at 0.5)


## Quantization breaks pixel-to-pixel alignment



RoIPool coordinate quantization


## Mask Prediction



Validation image with box detection shown in red
$28 \times 28$ soft prediction


Resized soft prediction


Final mask


## Mask Prediction


$28 \times 28$ soft prediction


Resized Soft prediction



## Is Object Detection Solved?

- Obviously no; there are frequently silly errors
- But it is getting frustratingly good
- The errors are often reasonable
- The bottlenecks are raw recognition and "reasoning"










## Addressing other tasks...

## Addressing other tasks...



## Addressing other tasks...


$224 \times 224 \times 3$

A block of compute with a few million parameters.

## Addressing other tasks...

this part changes from task to task

$224 \times 224 \times 3$


4

A block of compute with a few million parameters.

## Image Classification

thing $=$ a vector of probabilities for different classes

$224 \times 224 \times 3$

e.g. vector of 1000 numbers giving probabilities for different classes.

## Segmentation



$224 \times 224 \times 3$


224x224x20 array of class probabilities at each pixel.

## Localization


$224 \times 224 \times 3$


Class
probabilities (as before)

4 numbers:

- X coord
- Y coord
- Width
- Height


## Image Captioning


$224 \times 224 x 3$
A sequence of 10,000-dimensional vectors giving probabilities of different words in the caption.

## Reinforcement Learning



## Autoencoders


$224 \times 224 \times 3$


## Variational Autoencoders

reparameterization
layer

$224 \times 224 \times 3$

$224 \times 224 \times 3$
original image
[Kingma et al.], [Rezende et al.], [Salimans et al.]

## Addressing other tasks...



- 1D convolution $\approx$ Time Delay Neural Networks (Waibel et al. 1989, Collobert and Weston 2011)
- Two main paradigms:
- Context window modeling: For tagging, etc. get the surrounding context before tagging
- Sentence modeling: Do convolution to extract n-grams, pooling to combine over whole sentence


## Addressing other tasks...

$\Omega$


- CNNs for audio processing: MFCC features + Time Delay Neural Networks


## Next lecture: Understanding and Visualizing ConvNets


[^0]:    Ren, He, Girshick, Sun. Faster R-CNN: Towards Real-Time Object Detection. NIPS 2015.

